

# The importance of morphology for understanding galaxy evolution



*Roger Davies, 23<sup>rd</sup> Sept 2013*

**Arp 147** see  
Fogarty et al  
2011, 417,835

Evolutionary Paths in Galaxy Morphology, Powerhouse Museum, Sydney



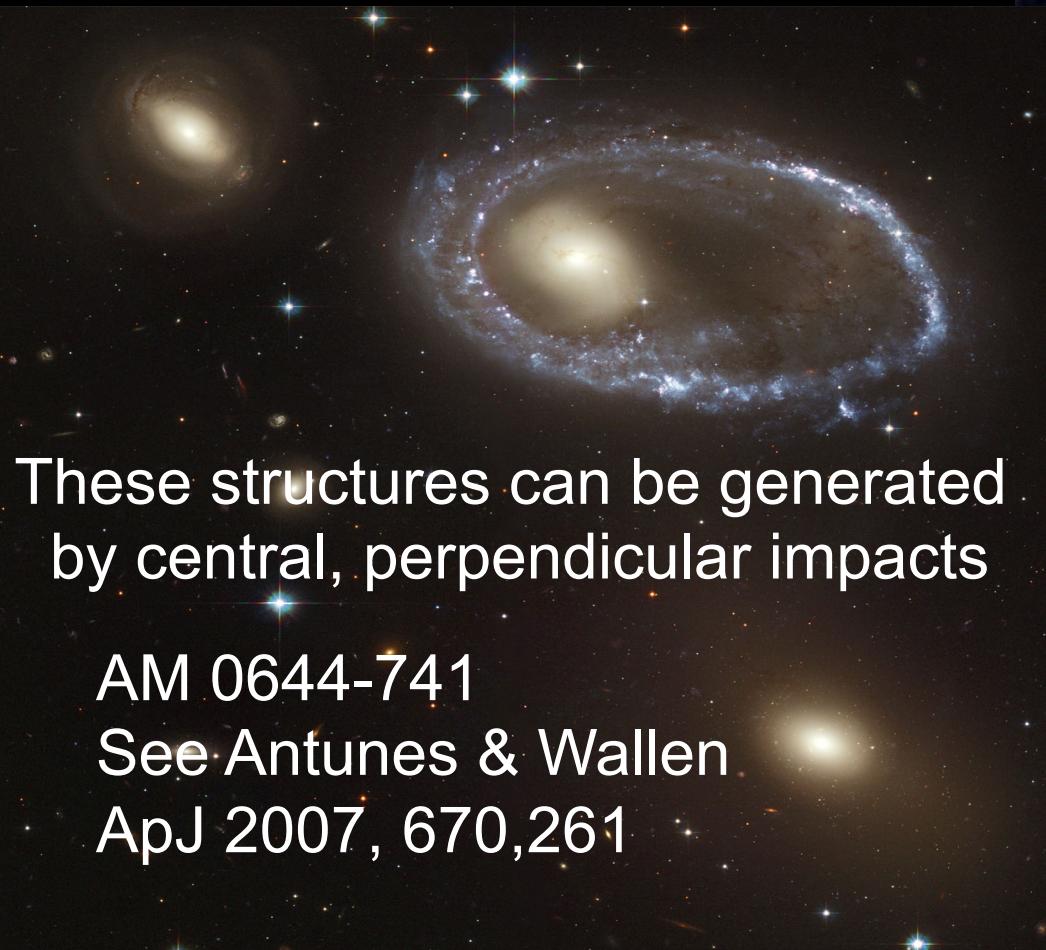
# Outline

- Ring galaxies – a clear case?
- What can we hope to learn from morphology?
- Disk galaxies
- Early-type galaxies
- Conclusions



# Sometimes it's obvious..... ring galaxies

The Cartwheel

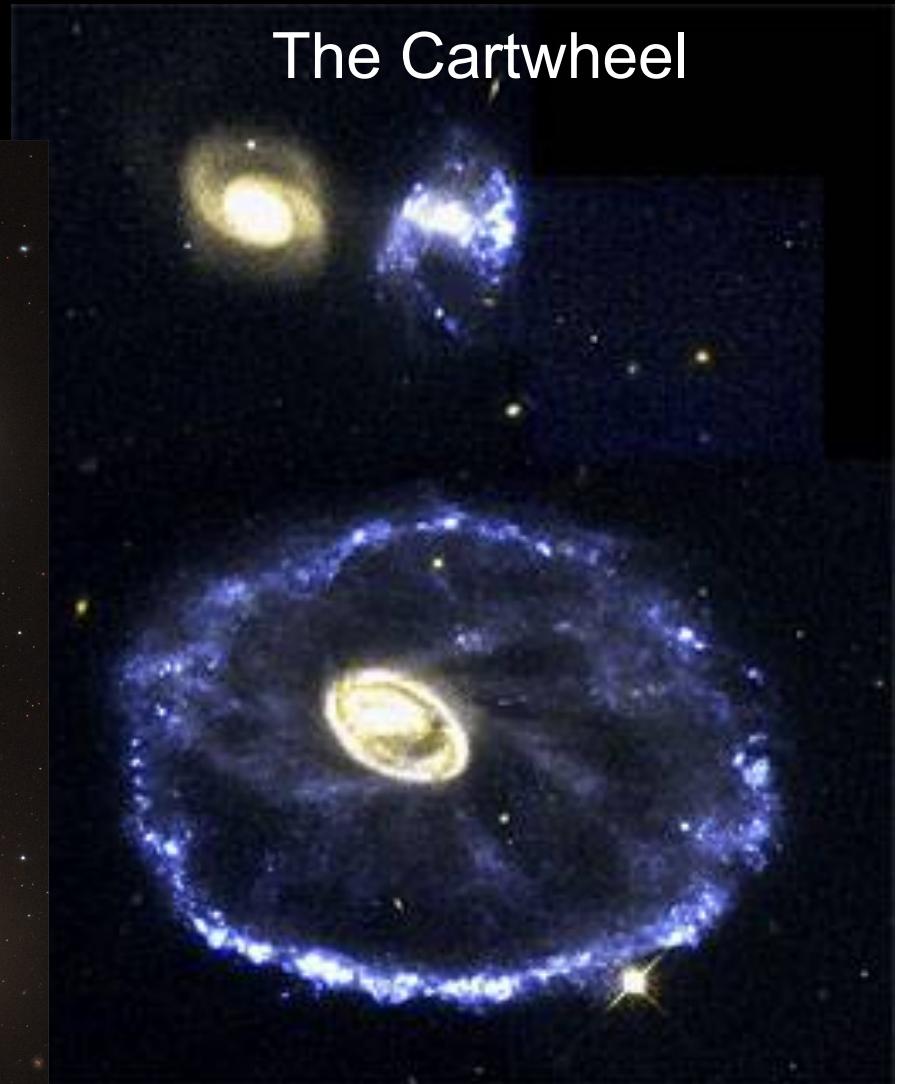


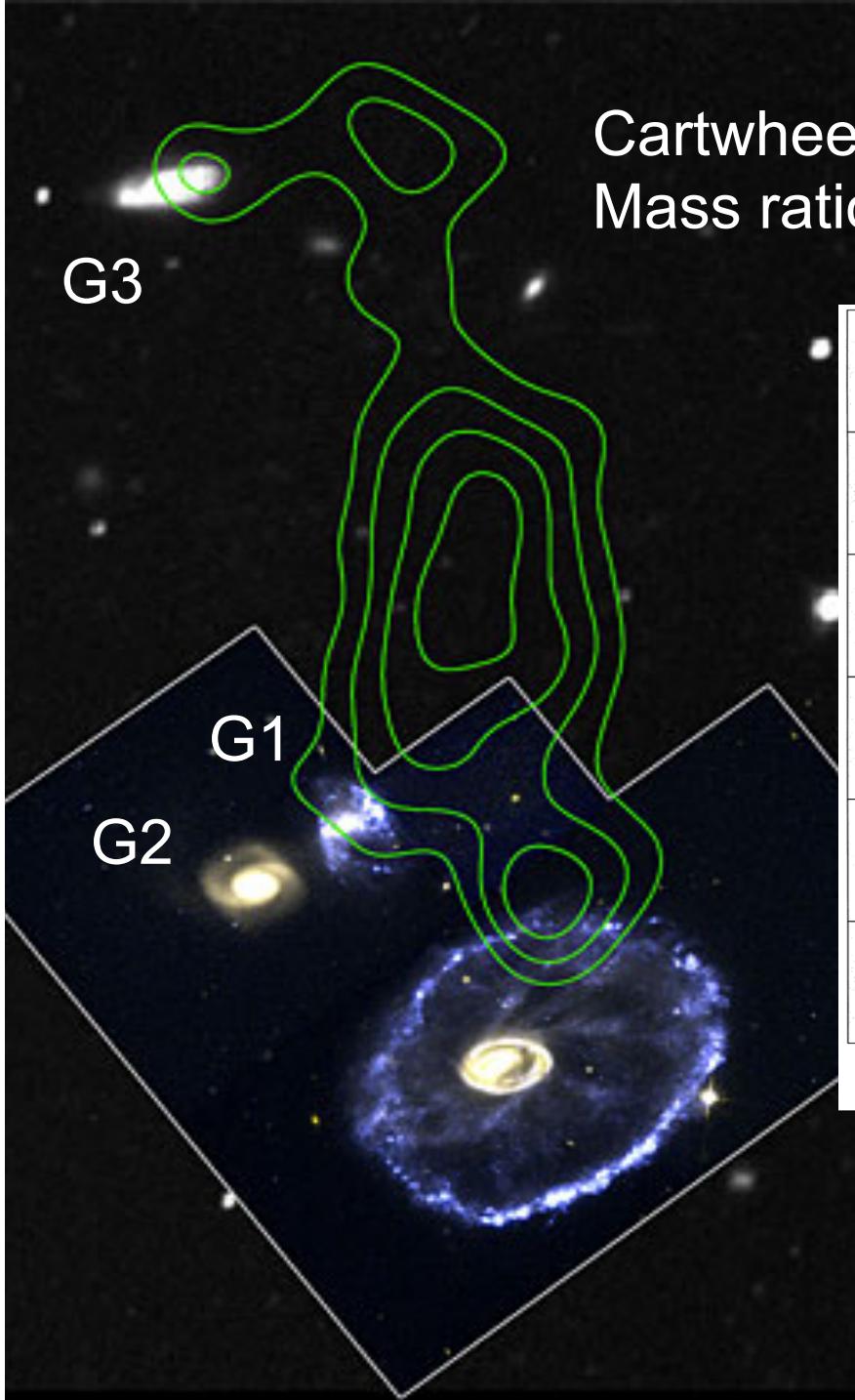
These structures can be generated  
by central, perpendicular impacts

AM 0644-741

See Antunes & Wallen

ApJ 2007, 670, 261





Cartwheel : Hernquist and Weil 1993  
Mass ratio 4:1 to 1:1.

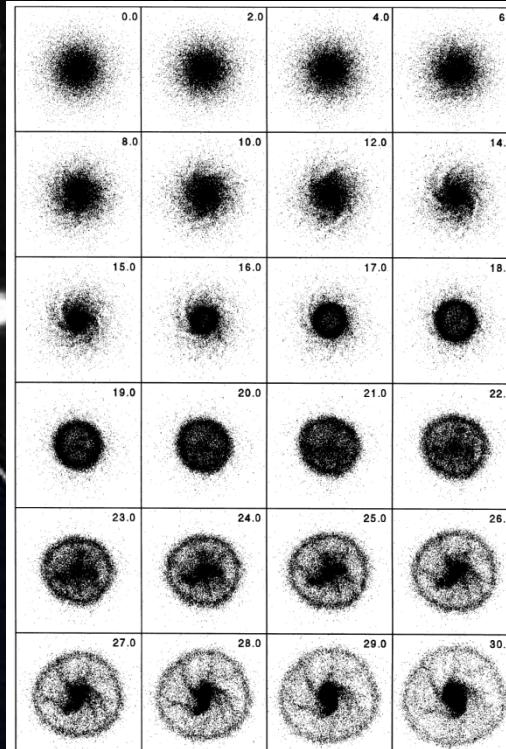


Figure 3. Time evolution of the stellar component of the primary in the fiducial model, seen face-on to the disc plane.

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Stars

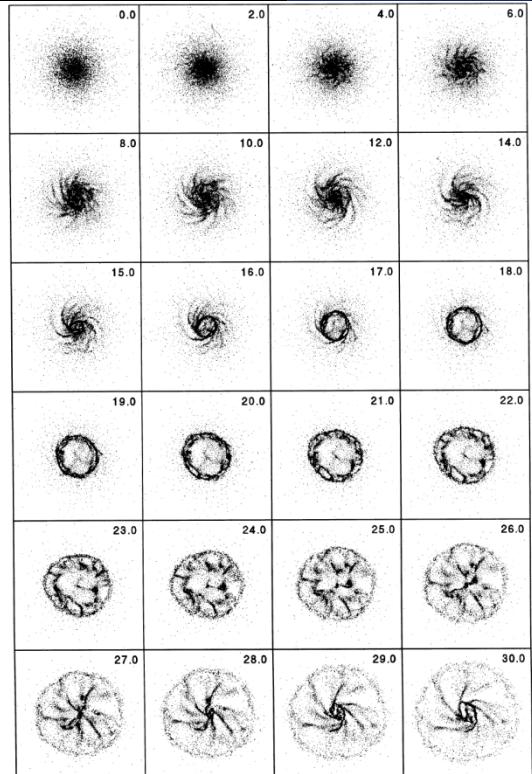
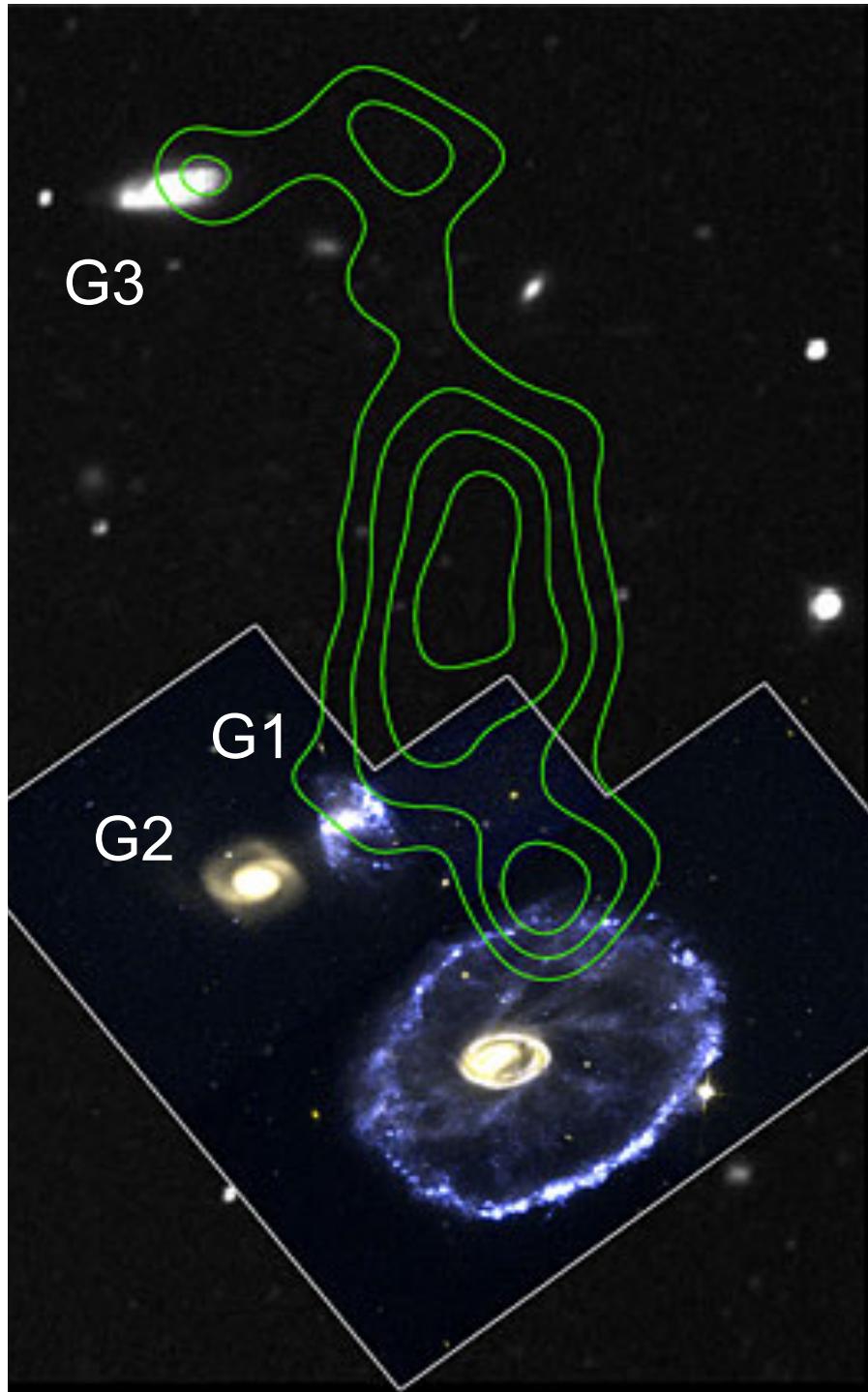


Figure 4. Time evolution of the gas component of the primary in the fiducial model, seen face-on to the disc plane.

Gas



Fosbury & Hawarden 1977  
MNRAS 178, 473  
expansion time for ring  $\sim$  300 Myrs

Davies & Morton, 1982

MNRAS 201, 69

Mass of G2  $\sim$  5-10%

Higdon 1996 ApJ. 467, 241

Mass of G1 & G3  $\sim$  6%

All the models have interloper masses  $\frac{1}{4}$ - $\frac{1}{2}$  the disk mass.  
So how does a 5-10% mass interloper make the ring?

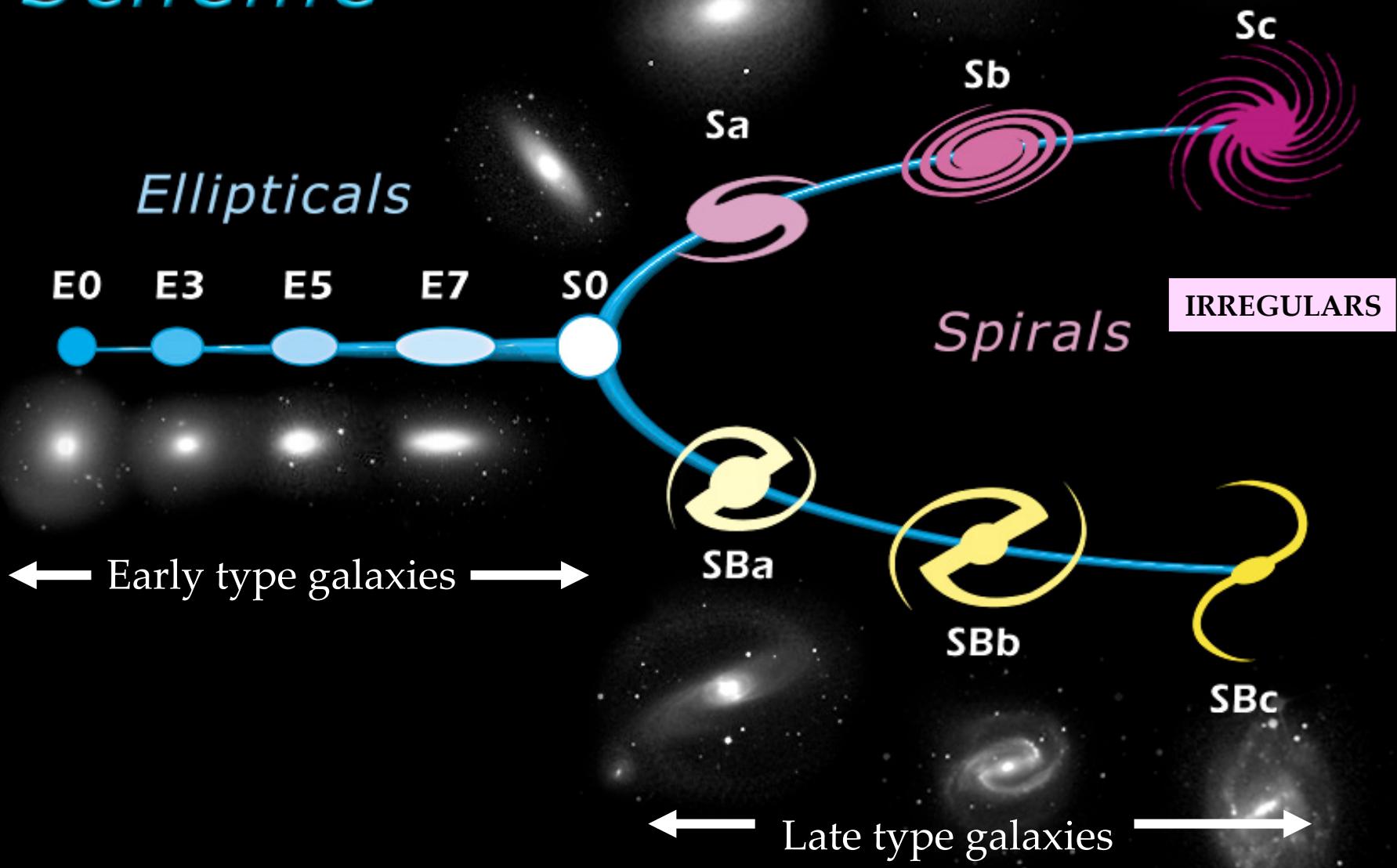


# What can we hope to learn?

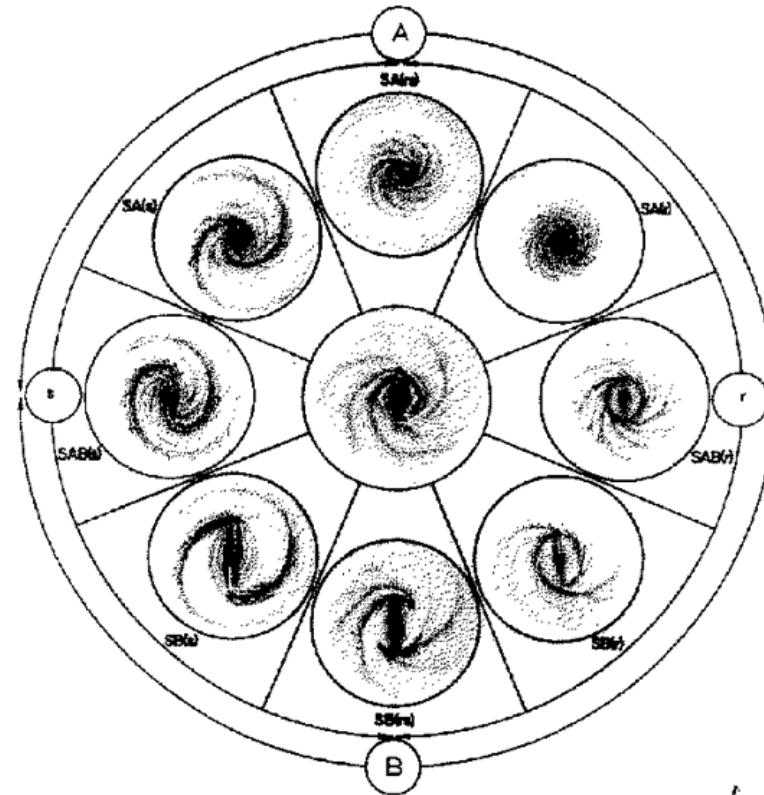
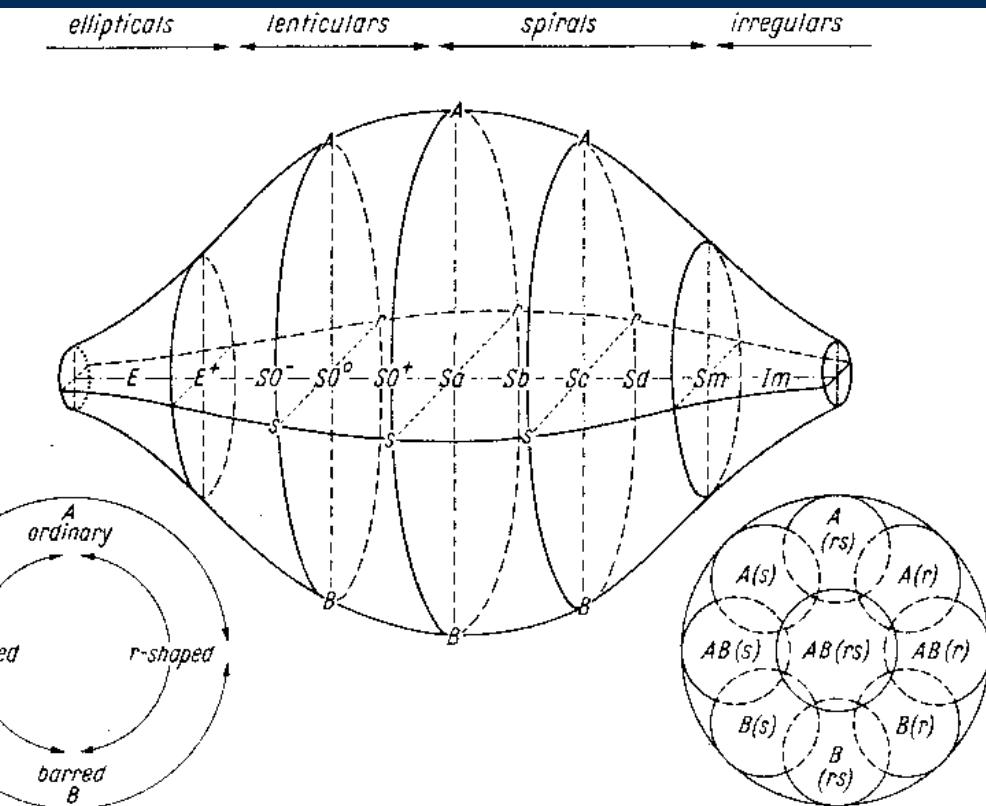


- Morphology is determined by the orbital structure of galaxies. The shape of galaxy potentials determine which orbital families are present.
- Stars moving on the allowed orbits occupy specific parts of phase space generating morphological features – bars, rings, peanut bulges, pseudo-bulges etc.
- Gas piles up close to orbital resonances producing regions of star formation e.g. rings at the end of bars. By looking at morphology as  $f(\lambda)$  we can learn about the star formation history & secular evolution of galaxies.
- The stability (or otherwise) of such features tells us about the distribution of mass (both luminous & dark).

# *Edwin Hubble's Classification Scheme*



# but don't forget de Vaucouleurs...



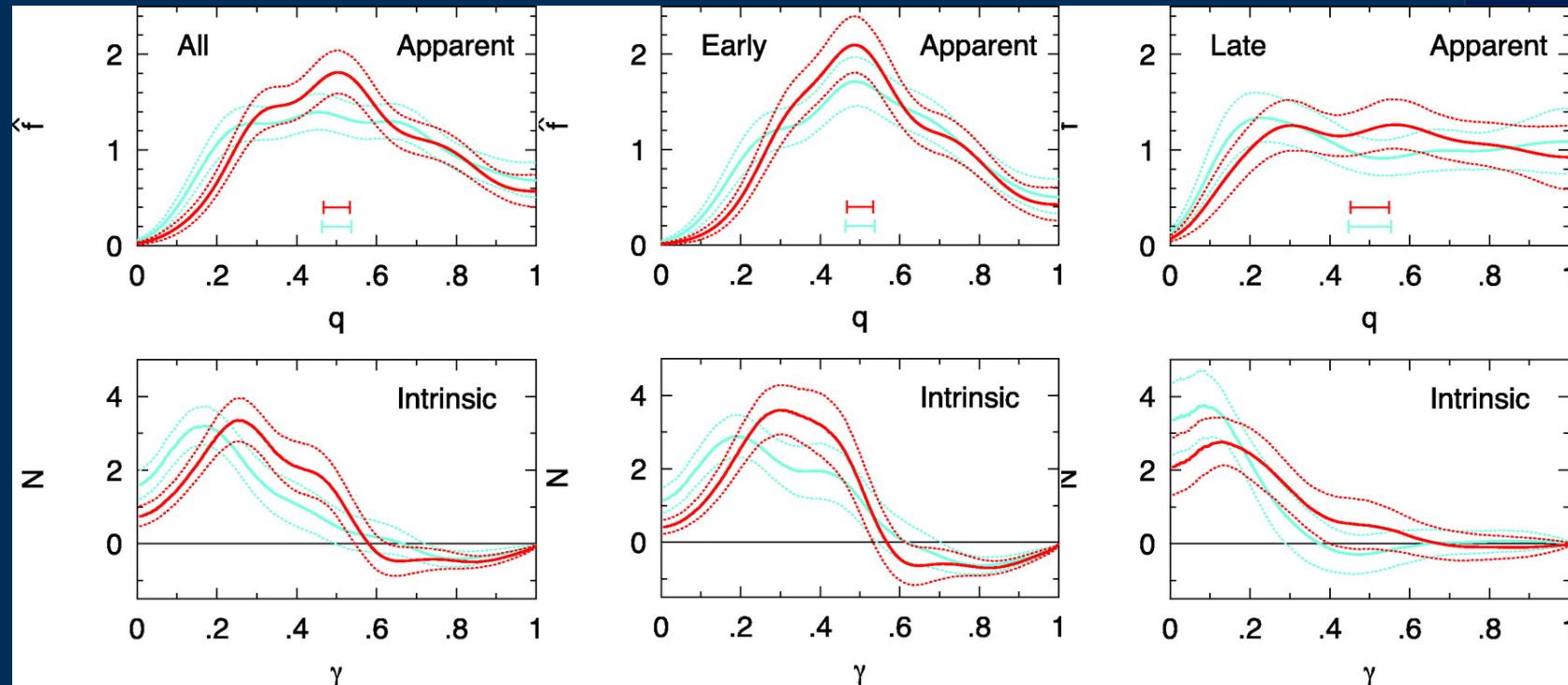


# Disk galaxies



# Intrinsic shape distribution

Ryden 2006 ApJ. 641 773



2Mass spirals: showing apparent and intrinsic axial ratios.

Red curve K-band , blue curve B-band

Late type spirals (130)  $\langle\gamma\rangle = 0.12$  (B) 0.19 (K) are consistent  
axi-symmetry => **we know the intrinsic shape & inclination**

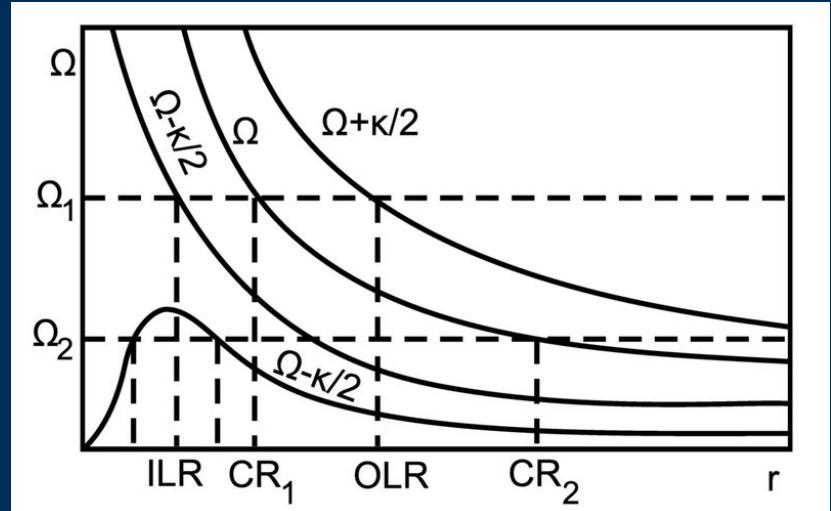


# Structures in disk galaxies

- Optical morphology is determined by orbits.
- In disk potentials orbital resonances occur where:

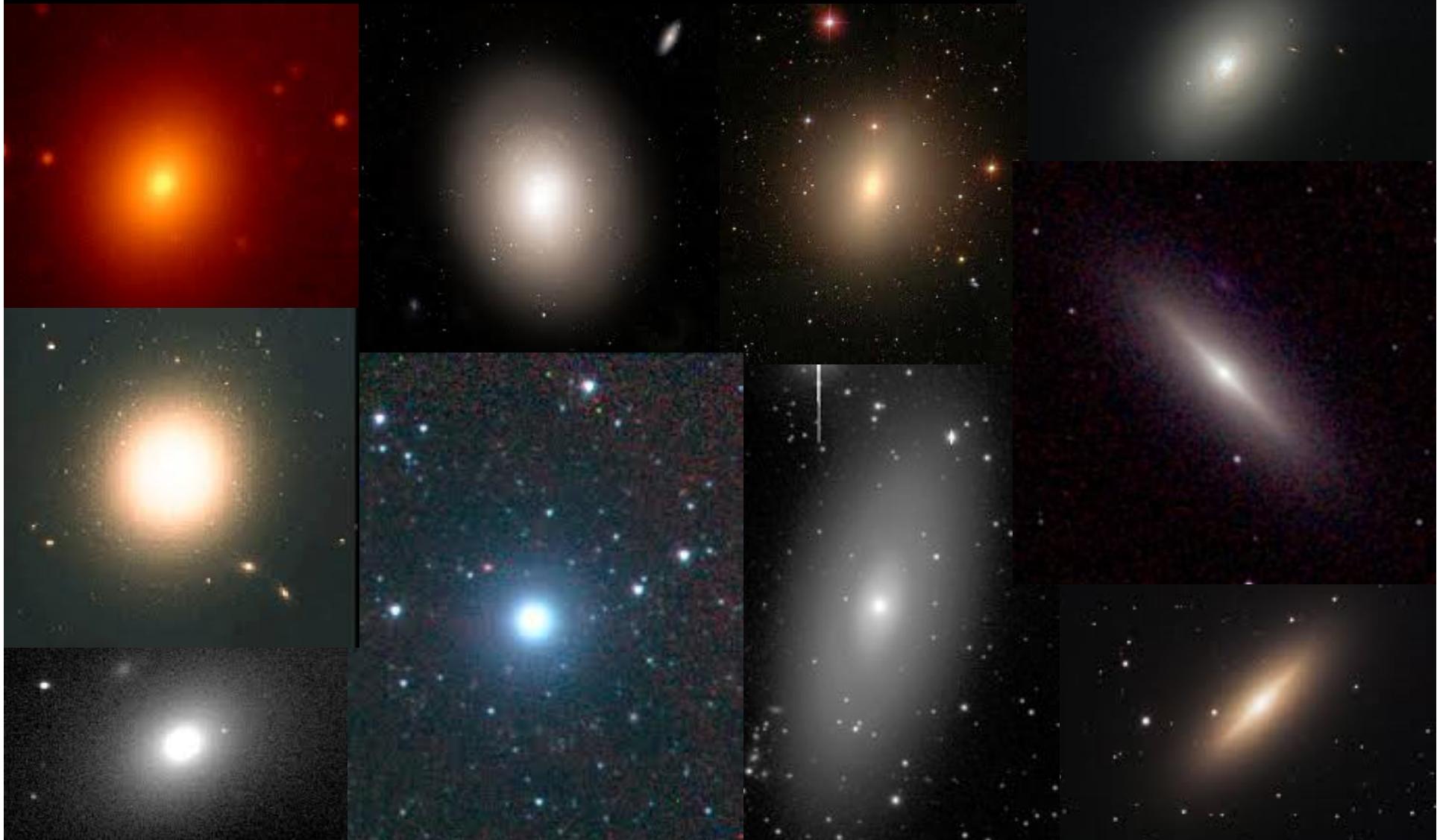
$$\Omega_p = \Omega \pm \kappa/m$$

where  $\Omega_p$  is the pattern speed,  $\kappa$  the radial epicyclic frequency and  $m$  an integer



- Bars & rings trace these resonances
- gas settles in rings → star formation
- For cold disk galaxies morphology → orbits → star formation history.
- Morphology → secular evolution

# Early-type galaxies



# What do we mean by morphology for ETGs?

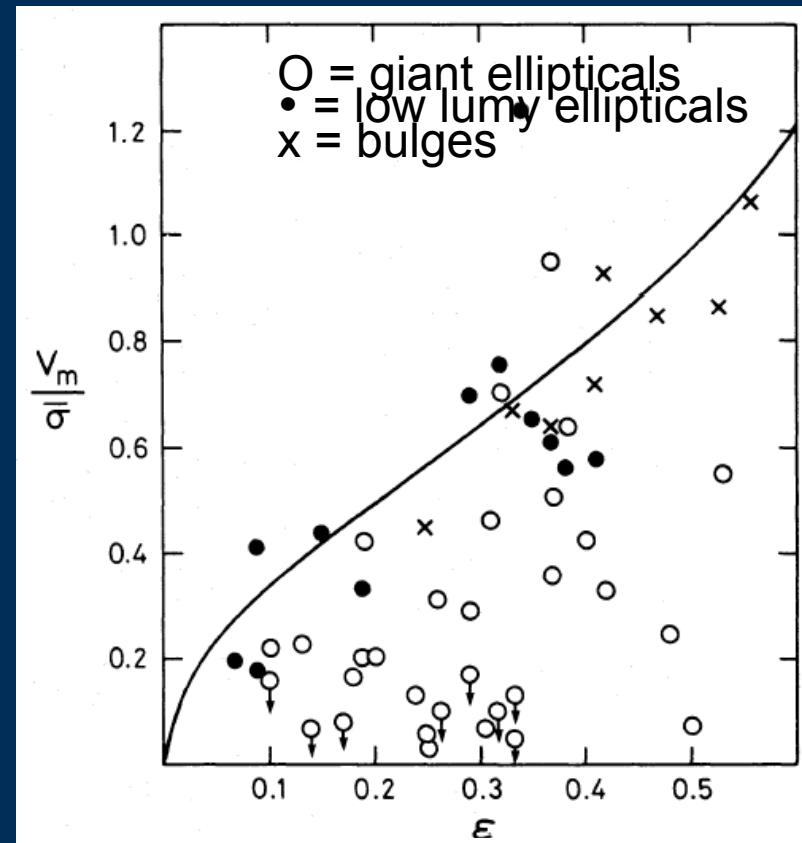


- classification in a catalogue depending in appearance.
- shape, concentration, luminosity profile (Sersic-n?)
- at its best it should give us some physical insight e.g. is there a disk? a core?

# Orbits in triaxial potentials



- The slow rotation of Es (Bertola & Capaccioli 1975; Illingworth, 1977, Binney 1977) implies they can have oblate, prolate or triaxial shapes with anisotropic velocity tensors → range of allowed orbit families expanded.
- Unknown intrinsic figure means we cannot invert apparent distribution of axial ratios to give true distribution.
- **Intrinsic shape & inclination for individual galaxies are unknown.**

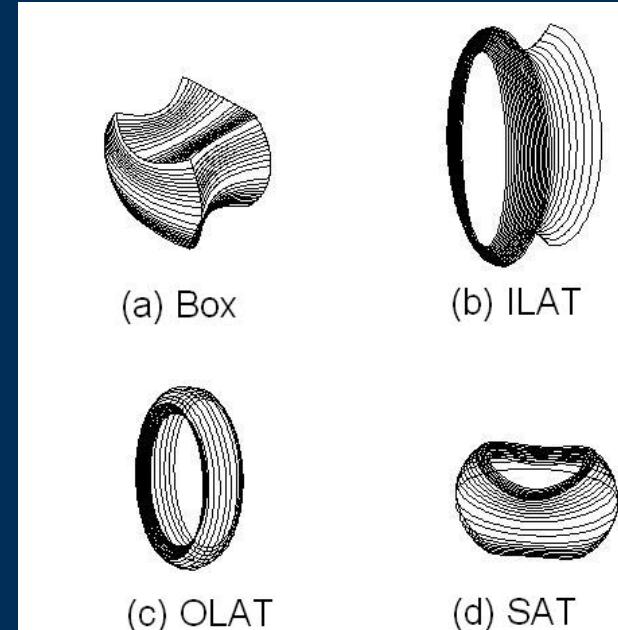


Davies et al. 1983

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# Boxy and Disky

see Carter 1978 MNRAS 182, 797



FIGURE 3. — Distribution of the ellipticity classes for all observed elliptical galaxies.

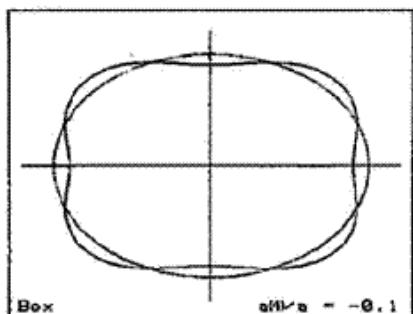
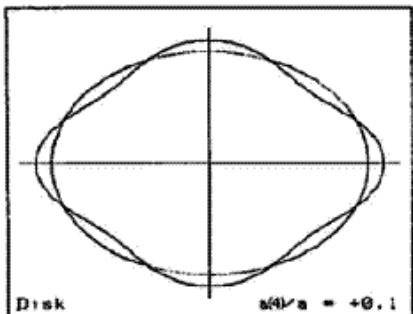


FIGURE 5. — Schematic drawing illustrating isophotes with  $a(4)/a = +0.1$  and  $a(4)/a = -0.1$ .

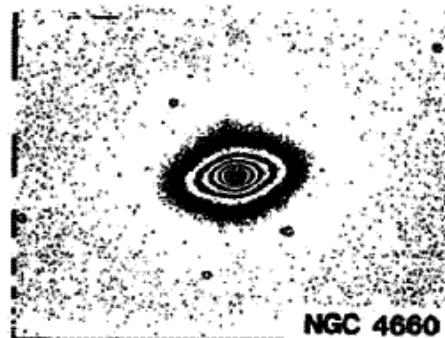


FIGURE 6. — R-image of NGC 4660, an elliptical galaxy with a disk-component in the isophotes ( $a(4)/a \sim +0.03$ ).

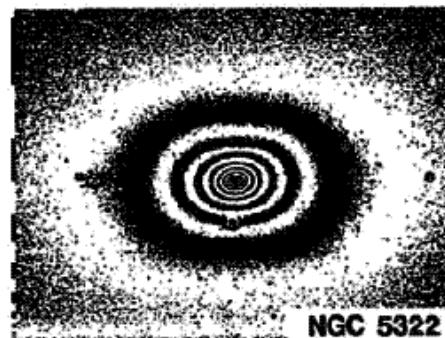


FIGURE 7. — R-image of NGC 5322, an elliptical galaxy with box-shaped isophotes ( $a(4)/a \sim -0.01$ ).

Examples for boxy and disky isophotes from Bender et al. (1988)



# ‘Dichotomy’ of ellipticals

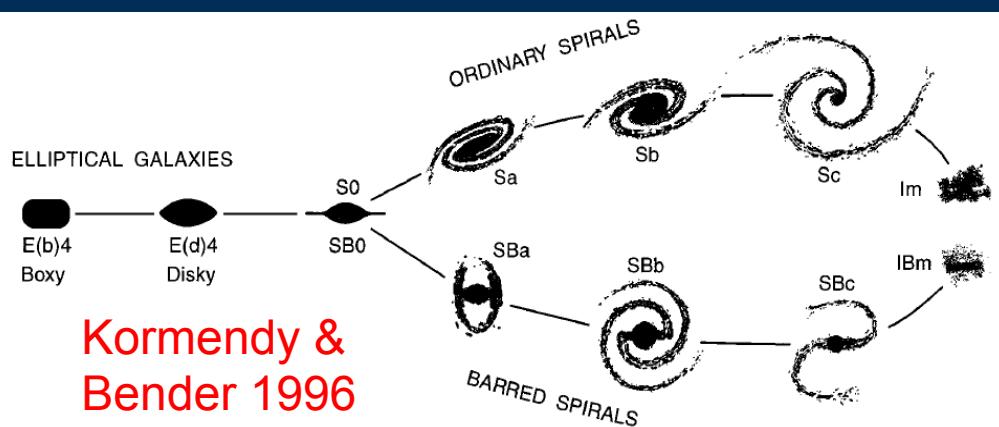
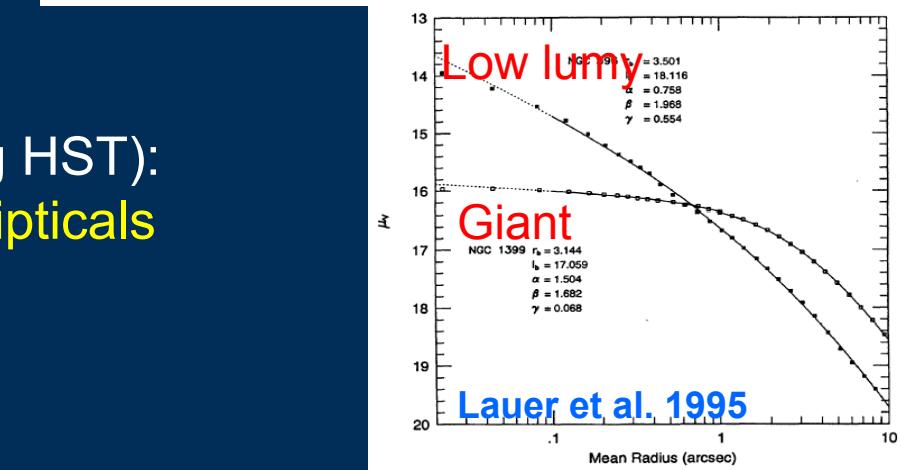
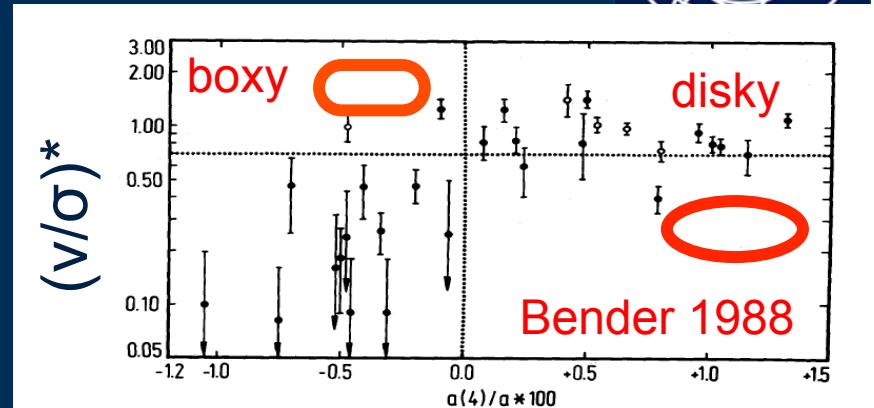
Bender 1988 & B et al 1989:

Boxy: triaxial, anisotropic, radio loud, X-ray halos, high M/L

Disky: oblate, isotropic

Rix & White 1990 : almost all ‘radio-weak’ ellipticals could have disks containing  $\sim 20\%$  of the light

Lauer et al 1995 + Faber et al. 1997 (using HST):  
Giant Es have core profile & low lum’ y ellipticals  
have cusps



Kormendy & Bender 1996 : disky ellipticals are intermediate between big ellipticals and lenticulars



# Physical distinctions between classes of ETGs

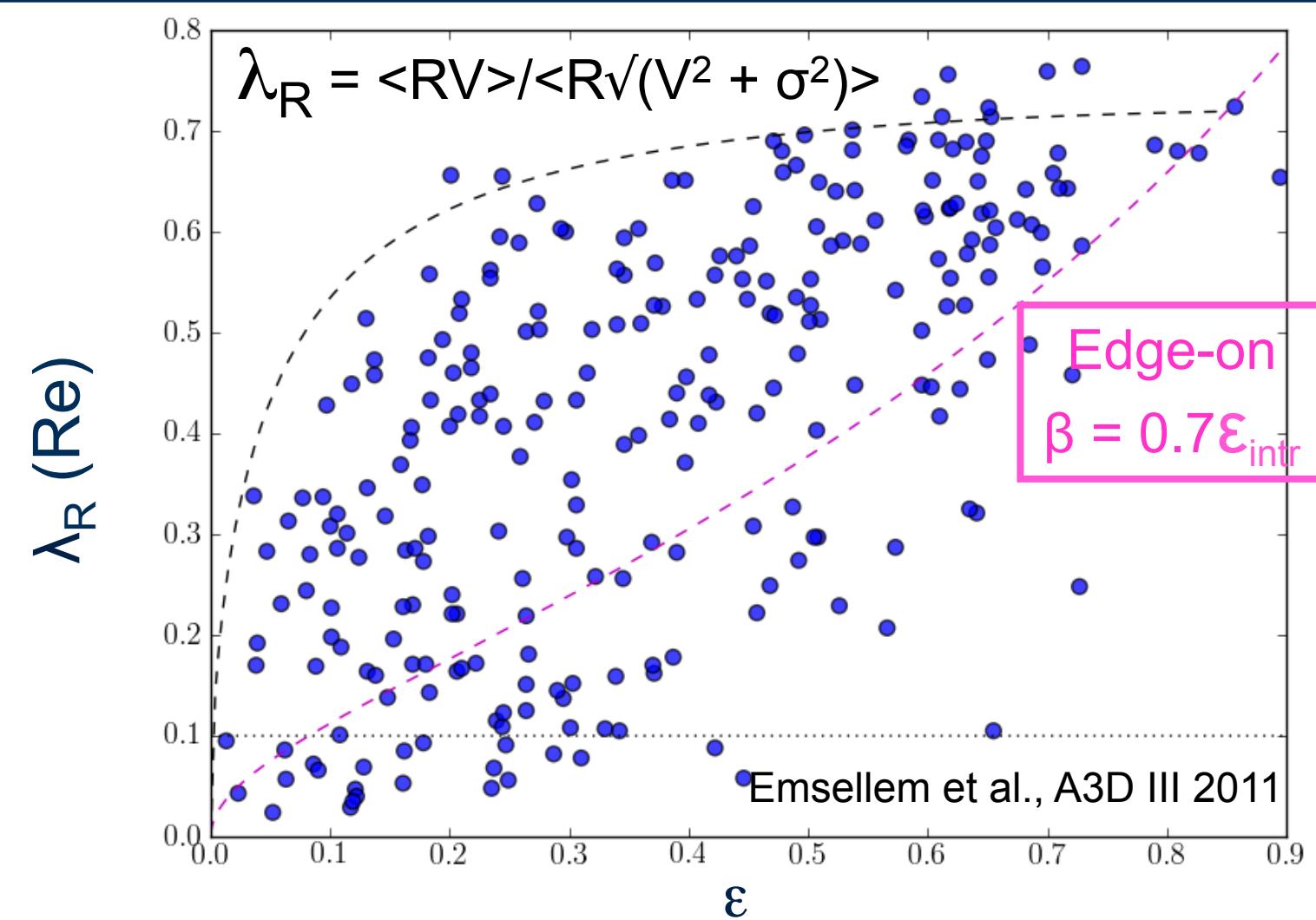
With acknowledgement to the SAURON & ATLAS<sup>3D</sup> teams

**ATLAS<sup>3D</sup>**

**PIs: Michele Cappellari, Eric Emsellem, Davor Krajnović,  
Richard McDermid**

**Team:** Kathey Alatalo, Roland Bacon, Leo Blitz, Maxime Bois,  
Frederic Bournaud, Martin Bureau, Roger Davies, Tim de Zeeuw,  
Jesus Falcon-Barroso, Sadegh Khochfar, Harald Kuntschner,  
Raffaella Morganti, Thorsten Naab, Tom Oosterloo, Marc Sarzi,  
Nicholas Scott, Paolo Serra, Remco van den Bosch, Glenn van de Ven,  
Gijs Verdoes-Kleijn, Lisa Young, Anne-Marie Weijmans

# $\lambda_R$ VS $\epsilon$

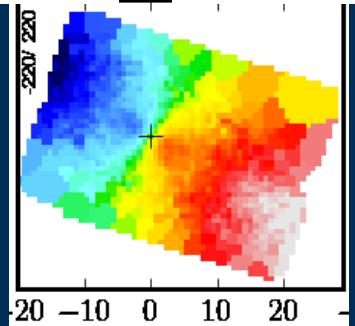
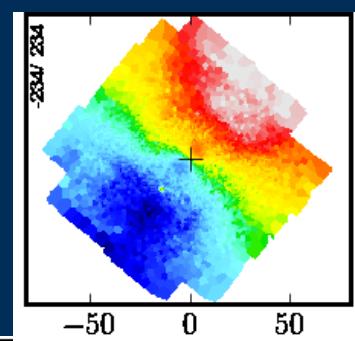
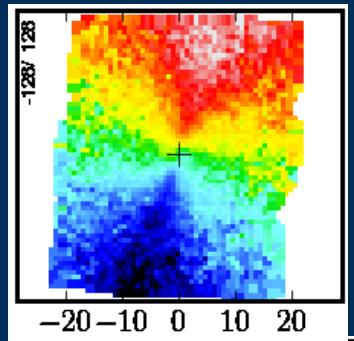




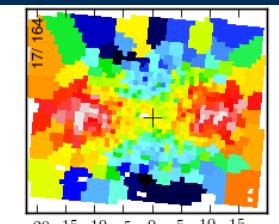
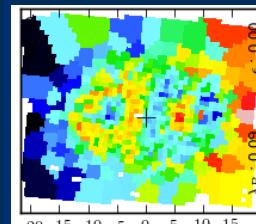
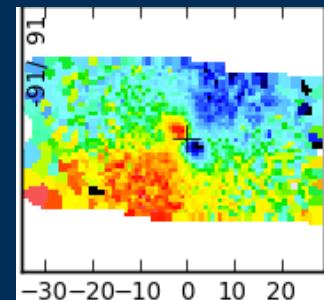
# Rotation fields



*Disk-like Rotators*



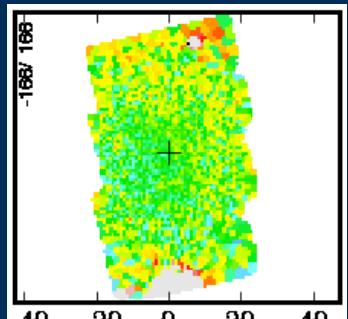
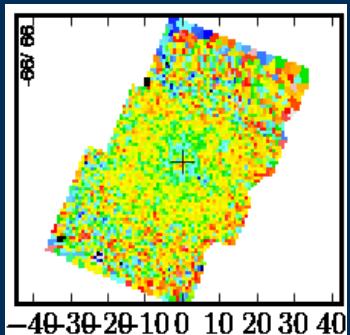
*KDCs*



*2- $\sigma$*

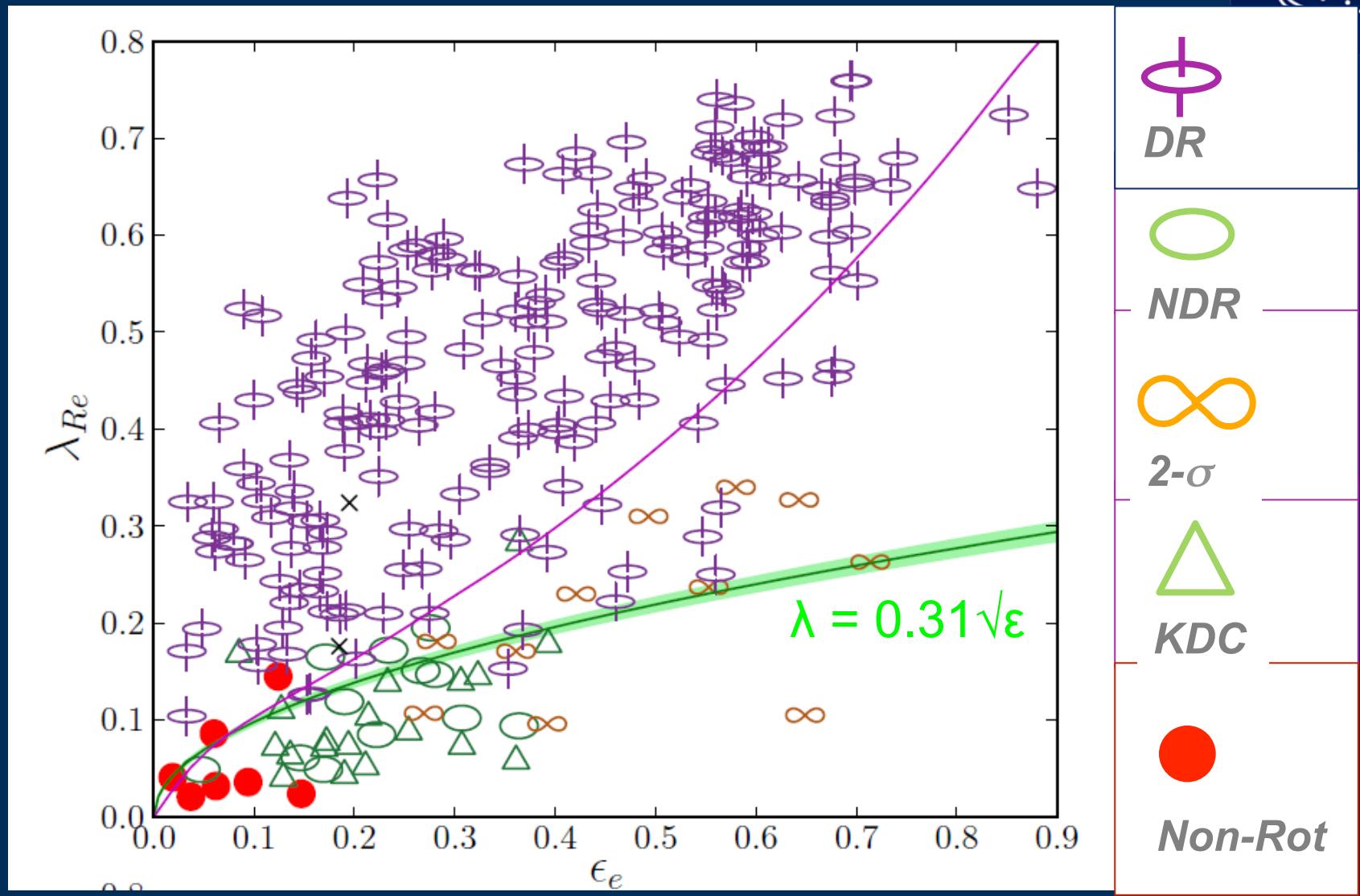


Krajnović et al., A3D II 2011  
Emsellem et al., A3D III 2011

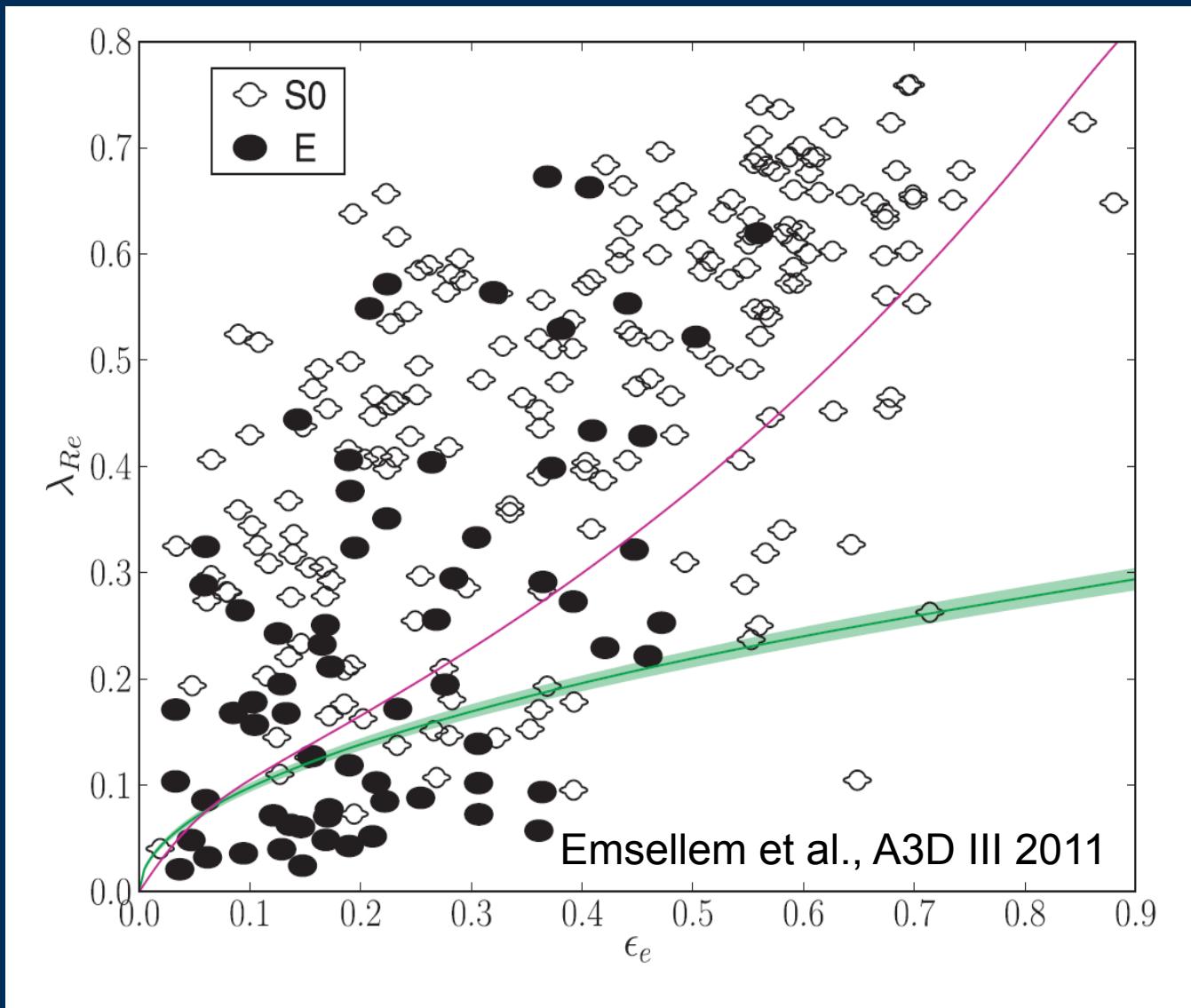


*Non-rotators*

# Key with rotation field morphology



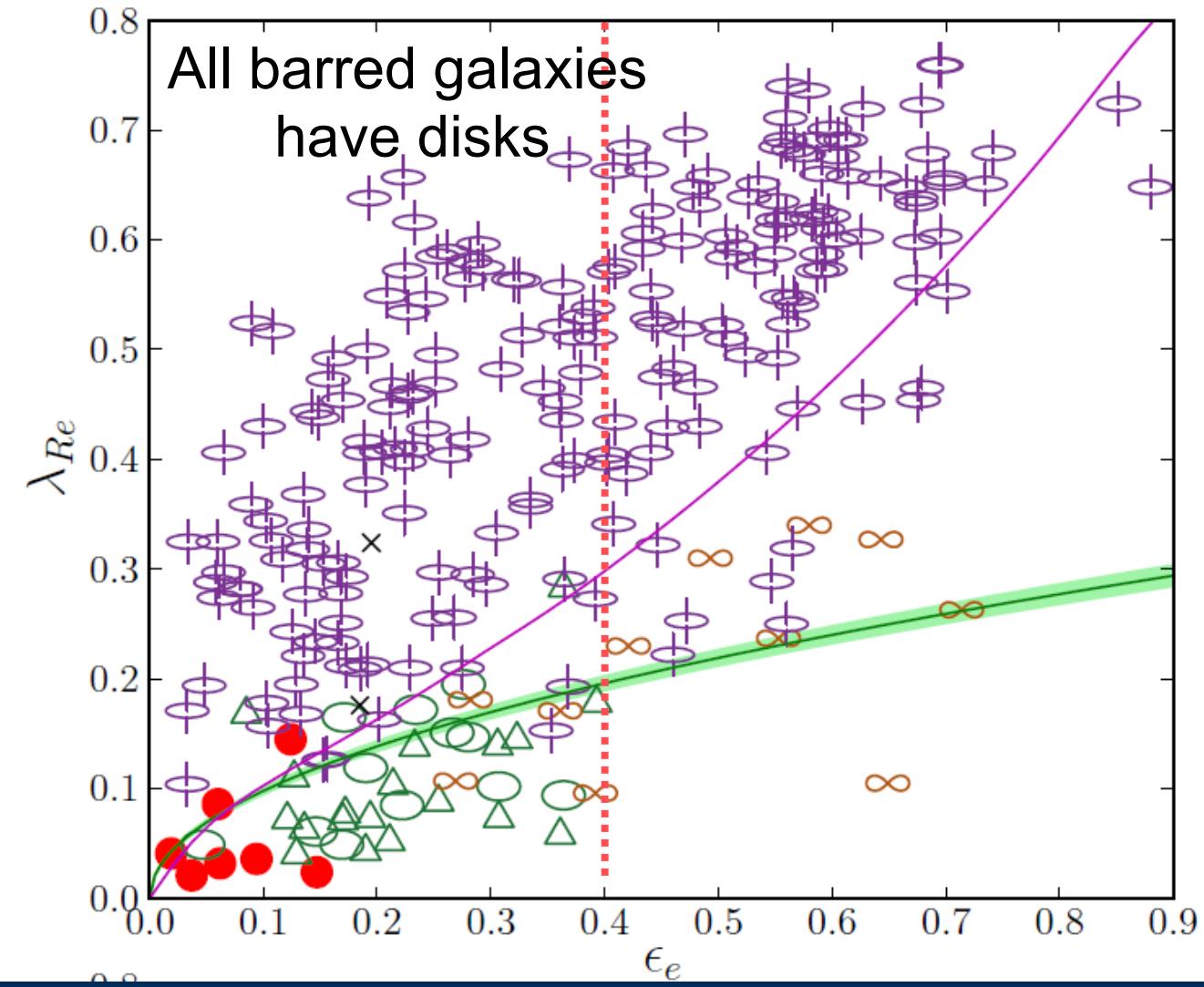
# and by Hubble type



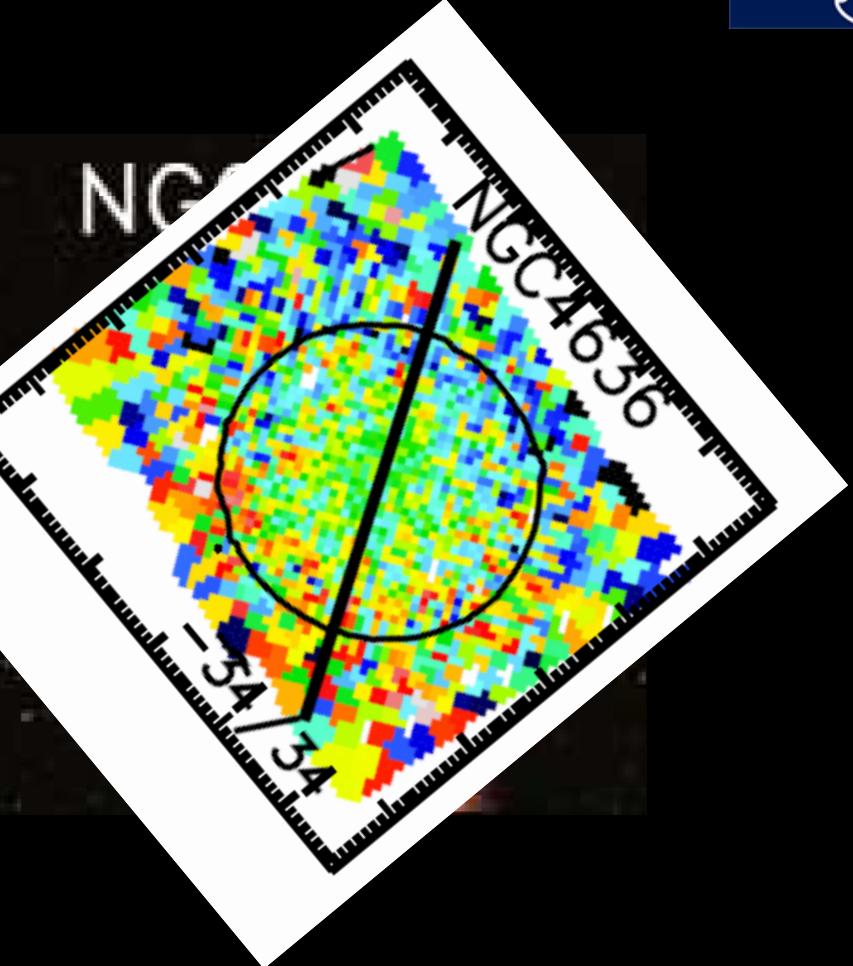
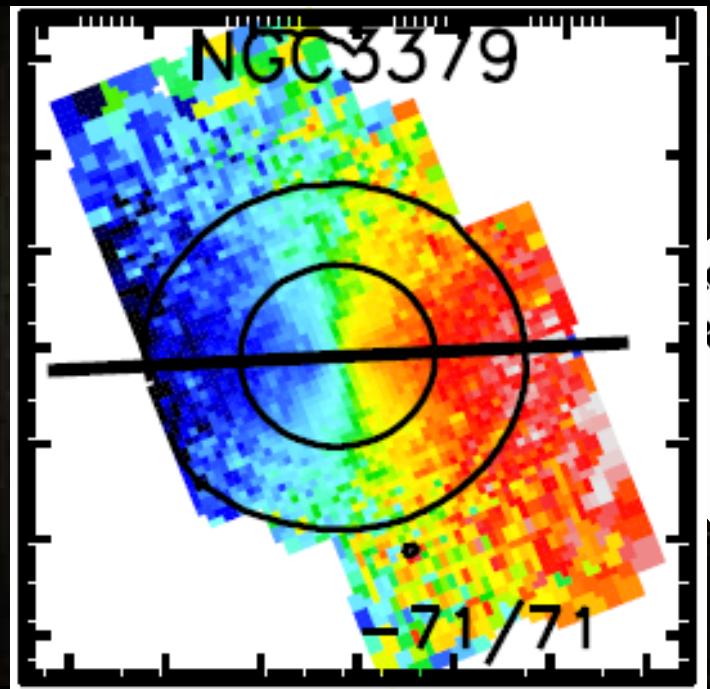
# Key with rotation field morphology



NB. All galaxies flatter than E4 are fast rotators



# Which one rotates fast?





# Census of ATLAS<sup>3D</sup>

871 galaxies in the parent sample of which:  
611 are spirals &  
260 are ETGs (68 Es & 192 S0s) of which  
224 are fast rotators – oblate

of the 36 slow rotators 4 have counter-rotating disks  
leaving 32 true slowly rotating ‘ellipticals’  
ie. <4% of the parent (volume limited) population

# Intrinsic shapes



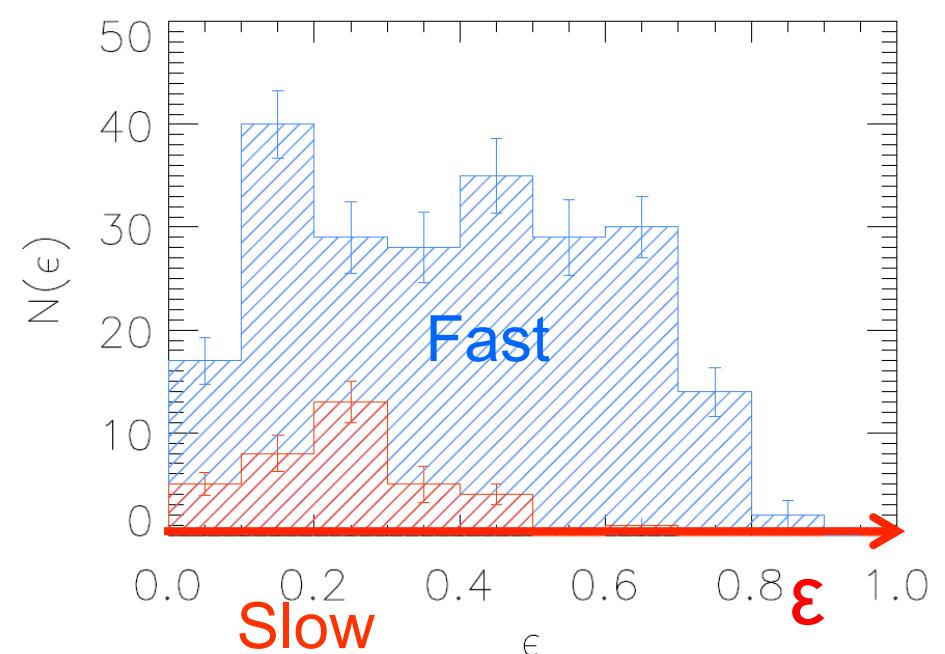
## Selection:

All fast rotators with  $\epsilon$  from large radius ( $\sim 3R_e$ ) to avoid the influence of bars.

Slow rotators do not include co-extensive, counter-rotating disks.  $\epsilon$  at  $1R_e$ .

**Method** : Invert observed distribution assuming oblate figures & using Lucy iteration.

Weijmans et al 2013





# Intrinsic shapes

## Selection:

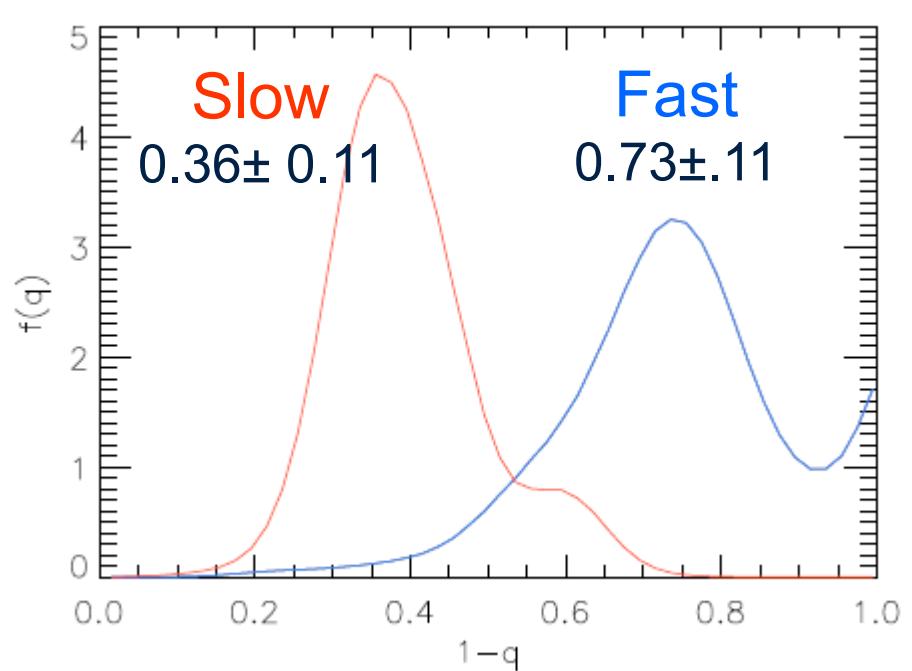
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Fast & Slow rotators have distinct distributions of intrinsic shapes

Weijmans et al 2013

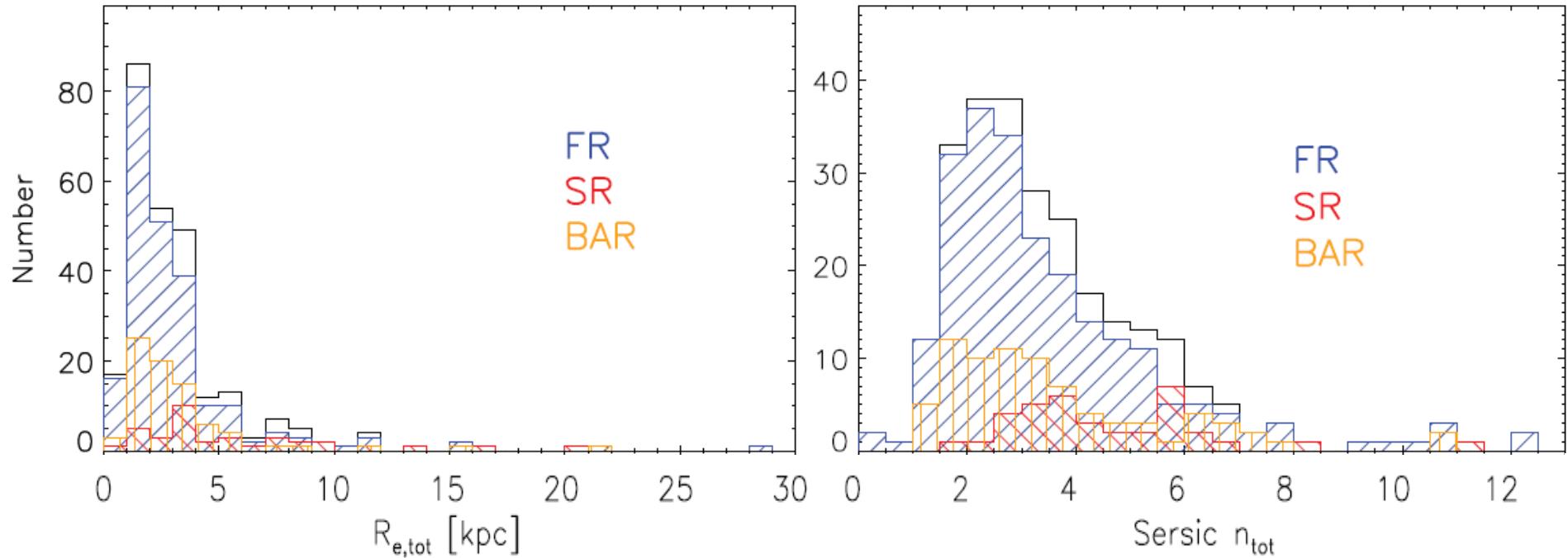




# How can we find disks in ETGs?



## Single Sersic law => $R_e$ and $n$ (all 260 objects)

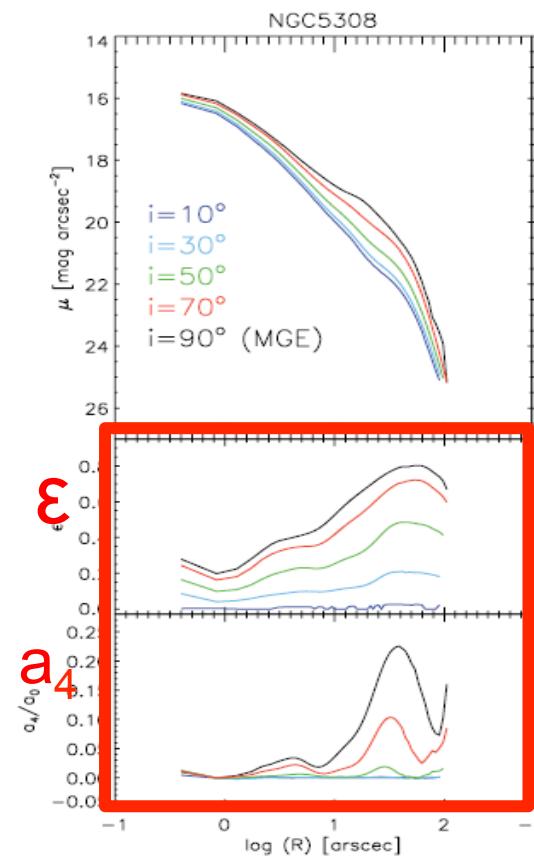
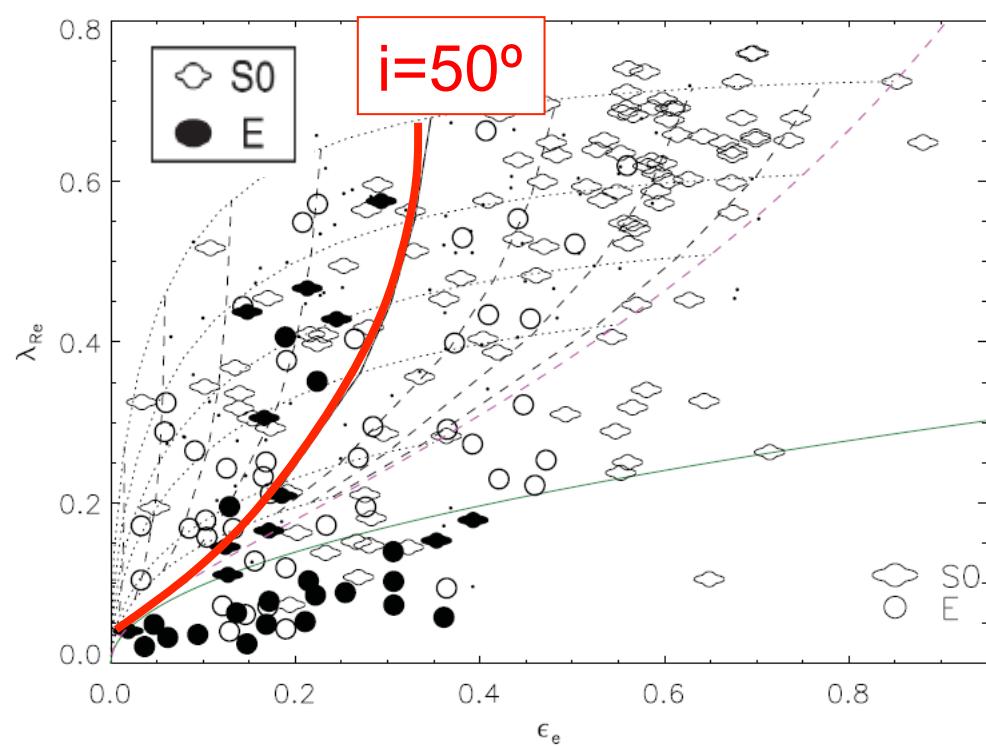


Slow rotators tend to be bigger and on average have higher  $n$   
but neither size, nor  $n$  reliably identify FR & SR.  
(if  $n>3$  is used to select SRs => 22% chance of success!)

# Morphological structure hidden from view when $i < 50^\circ$



Krajnović et al A3D XVII 2012 building on :  
Rix & White 1990, Gerhard & Binney 1996



$i = 10^\circ$   
 $i = 30^\circ$   
 $i = 50^\circ$   
 $i = 70^\circ$   
 $i = 90^\circ$

Solid symbols – single component



# $V_{\text{rms}}$ reveals disks when $D/T = 0.1$ and at $i=30^\circ$

Models with:

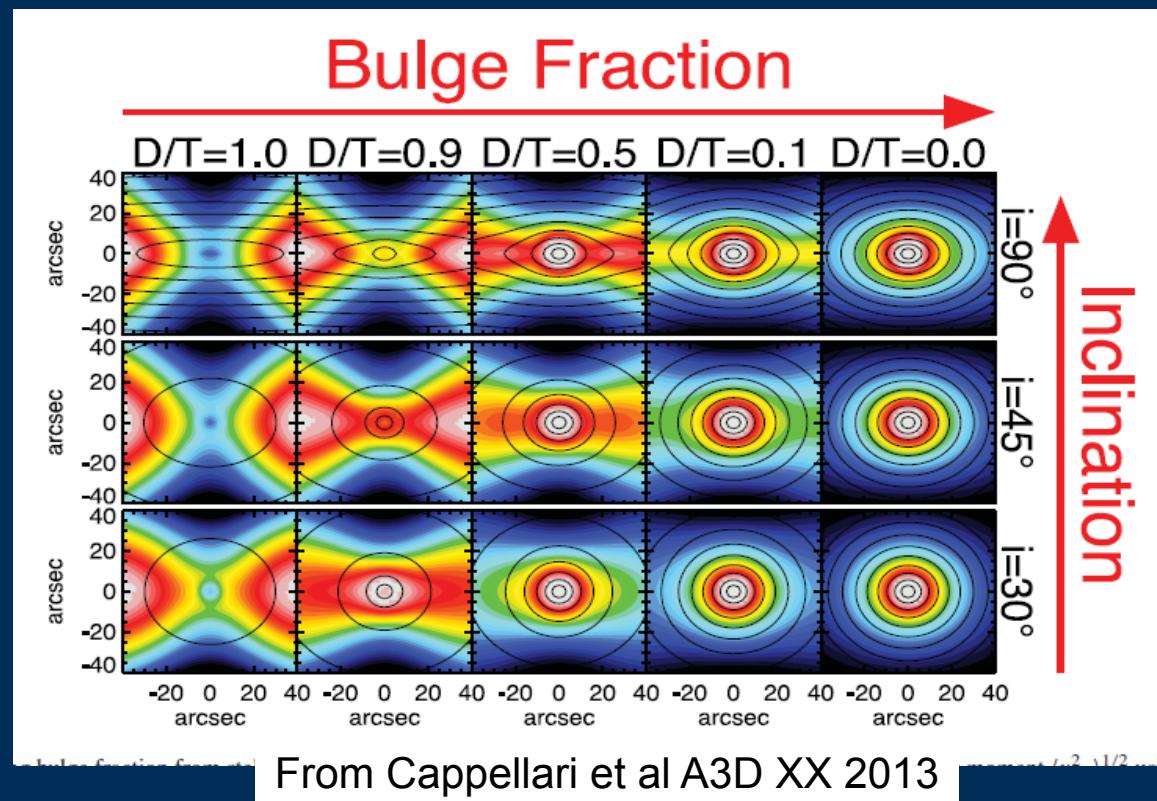
$$R_e(\text{disk})/(\text{bulge}) = 5.2$$

$$\text{Sersic } n = 1.7$$

$$q(\text{disk}) = 0.2$$

$$q(\text{bulge}) = 0.7$$

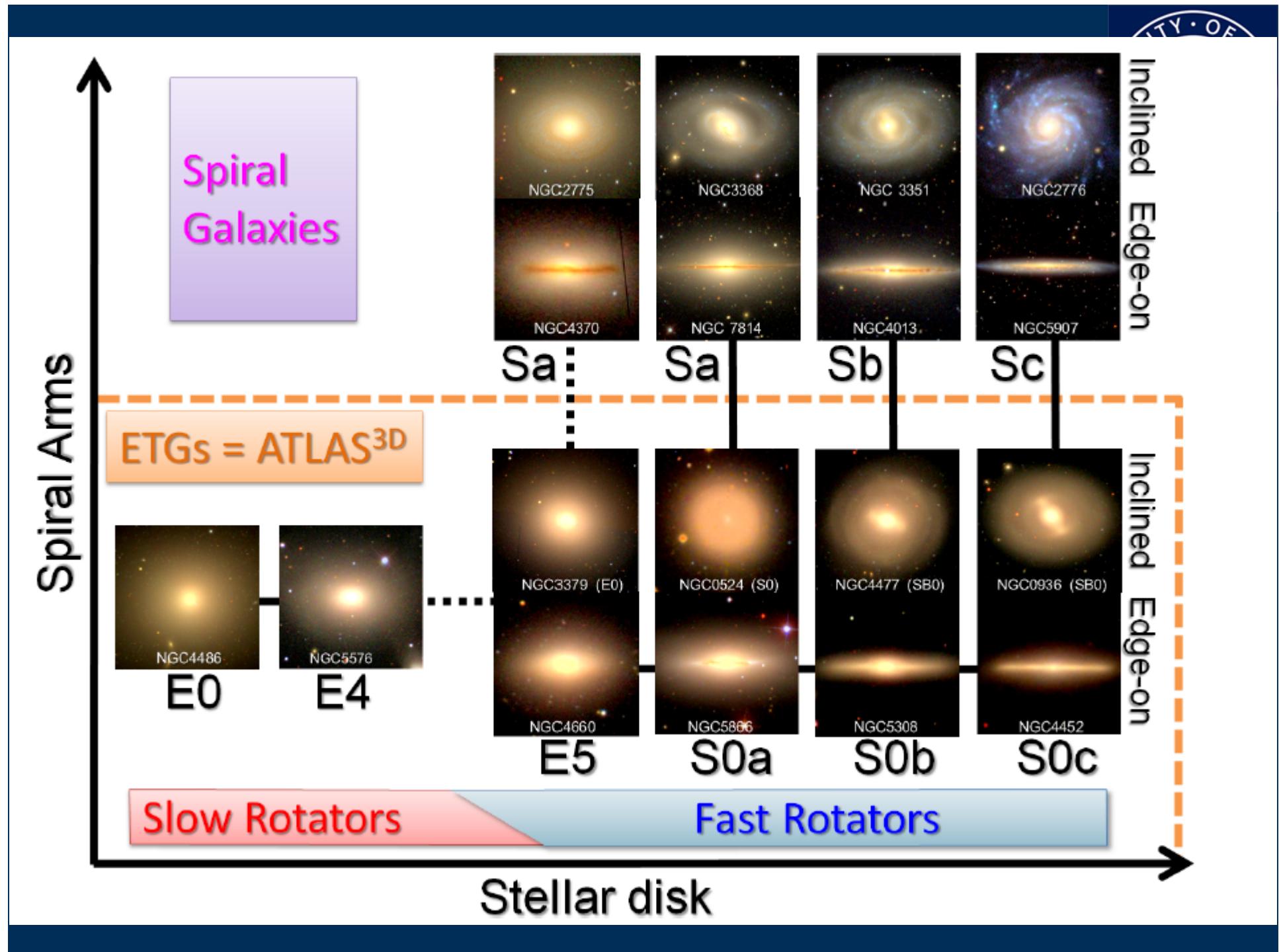
Flattening of the contours of  $V_{\text{rms}}$  compared to isohotes reveal the presence of low mass disk at low  $i$ .



Above  $M = 2 \times 10^{11} M_\odot$   
all galaxies have  $D/T < 0.2$

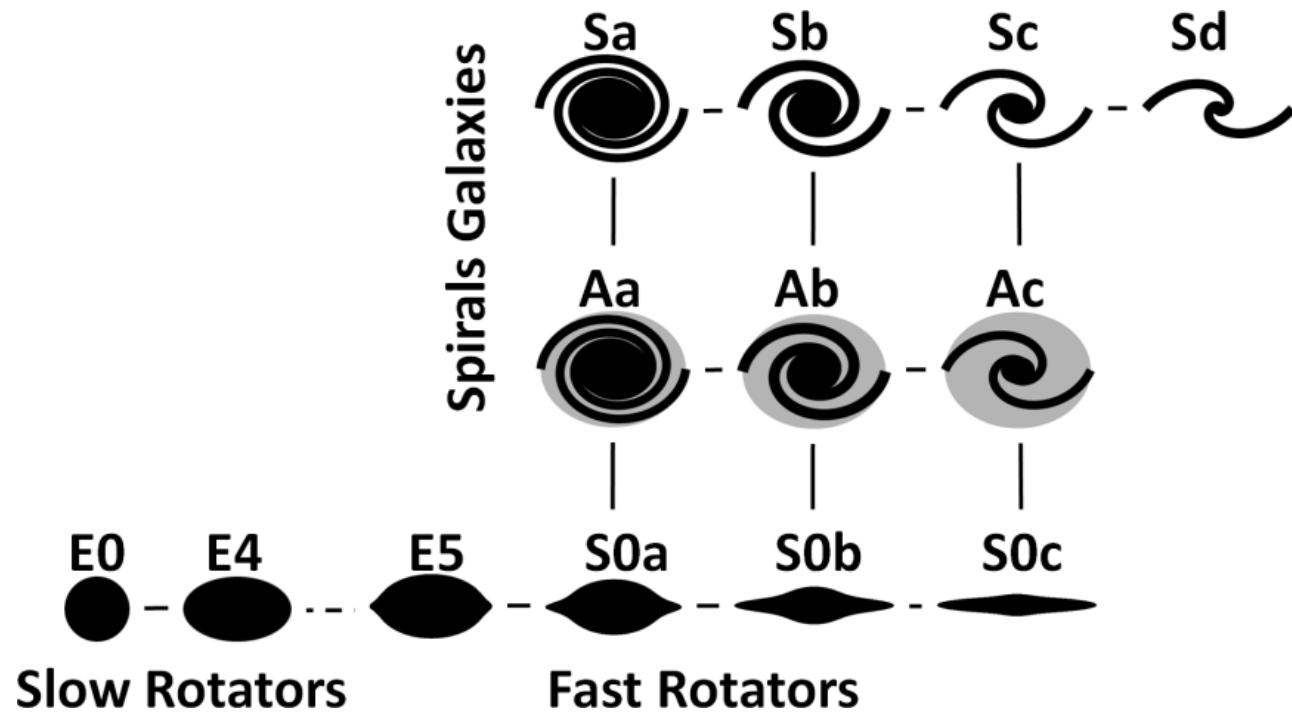


# A physically based classification system





Recall : van den Bergh 1976,  
ApJ, 206, 883





# Morphology-density re-visited.....

.....  
Kinematic morphology  
density relation

See Nic Scott's talk this afternoon!

# Conclusions



- Some dramatic morphologies reveal the incidence of specific events e.g. ring galaxies. Can we model these systems accurately? Can we use them to determine the merger rate more generally?
- Using our knowledge of their intrinsic shapes the detailed morphology reveals the mass distribution and star formation history of spiral disks.
- Morphology of ETGs does not reveal their physical nature, largely because of lack of knowledge of the inclination of individual galaxies.
- The presence of exponential components or disk-like isophotes is not sufficient to indicate that rotation is important dynamically.
- Kinematic maps provide a physical classification sequence based on angular momentum rather than appearance.